

# CMPT 379

## Compilers

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## Parsing - Roadmap

- Parser:
  - decision procedure: builds a parse tree
- Top-down vs. bottom-up
- LL(1) – Deterministic Parsing
  - recursive-descent
  - table-driven
- LR(k) – Deterministic Parsing
  - LR(0), SLR(1), LR(1), LALR(1)
- Parsing arbitrary CFGs – Polynomial time parsing

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# Top-Down vs. Bottom Up

Grammar:  $S \rightarrow A B$       Input String: ccbca  
 $A \rightarrow c \mid \epsilon$   
 $B \rightarrow cbB \mid ca$

Top-Down/leftmost		Bottom-Up/rightmost	
$S \Rightarrow AB$	$S \rightarrow AB$	$ccbca \Leftarrow Acbca$	$A \rightarrow c$
$\Rightarrow cB$	$A \rightarrow c$	$\Leftarrow AcbB$	$B \rightarrow ca$
$\Rightarrow ccbB$	$B \rightarrow cbB$	$\Leftarrow AB$	$B \rightarrow cbB$
$\Rightarrow ccbca$	$B \rightarrow ca$	$\Leftarrow S$	$S \rightarrow AB$

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## Bottom-up parsing overview

- Start from terminal symbols, search for a path to the start symbol
- Apply shift and reduce actions: postpone decisions
- LR parsing:
  - L: left to right parsing
  - R: rightmost derivation (in reverse or bottom-up)
- $LR(0) \rightarrow SLR(1) \rightarrow LR(1) \rightarrow LALR(1)$ 
  - 0 or 1 or  $k$  lookahead symbols

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# Actions in Shift-Reduce Parsing

- Shift
  - add terminal to parse stack, advance input
- Reduce
  - If  $\alpha w$  on stack, and  $A \rightarrow w$ , and there is a  $\beta \in T^*$  such that  $S \Rightarrow_{rm}^* \alpha A \beta \Rightarrow_{rm} \alpha w \beta$  then we can *prune the handle*  $w$ ; we reduce  $\alpha w$  to  $\alpha A$  on the stack
  - $\alpha w$  is a *viable prefix*
- Error
- Accept

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## Questions

- When to shift/reduce?
  - What are valid handles?
  - Ambiguity: Shift/reduce conflict
- If reducing, using which production?
  - Ambiguity: Reduce/reduce conflict

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## Rightmost derivation for **id + id \* id**

<b><math>E \rightarrow E + E</math></b>	$E \Rightarrow E * E$	
<b><math>E \rightarrow E * E</math></b>	$\Rightarrow E * \mathbf{id}$	
<b><math>E \rightarrow ( E )</math></b>	$\Rightarrow E + E * \mathbf{id}$	
<b><math>E \rightarrow - E</math></b>	$\Rightarrow E + \mathbf{id} * \mathbf{id}$	reduce with $E \rightarrow \mathbf{id}$
<b><math>E \rightarrow \mathbf{id}</math></b>	$\Rightarrow \mathbf{id} + \mathbf{id} * \mathbf{id}$	shift

$$E \Rightarrow_{\text{rm}}^* E + E \setminus^* \mathbf{id}$$

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## LR Parsing

- Table-based parser
  - Creates rightmost derivation (in reverse)
  - For “less massaged” grammars than LL(1)
- Data structures:
  - Stack of states/symbols  $\{s\}$
  - Action table: **action**[s, a];  $a \in \mathbf{T}$
  - Goto table: **goto**[s, X];  $X \in \mathbf{N}$

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Productions		Action/Goto Table						
1	$T \rightarrow F$	*	(	)	id	\$	T	F
2	$T \rightarrow T * F$		S5		S8		2	1
3	$F \rightarrow id$					Acc!		
4	$F \rightarrow (T)$							
1	R1	R1	R1	R1	R1	R1		
2	S3							
3		S5			S8			4
4	R2	R2	R2	R2	R2	R2		
5		S5			S8		6	1
6	S3			S7				
7	R4	R4	R4	R4	R4	R4		
8	R3	R3	R3	R3	R3	R3		

### Trace “(id)\*id”

Stack	Input	Action
0	( id ) * id \$	Shift S5
0 5	id ) * id \$	Shift S8
0 5 8	) * id \$	Reduce 3 $F \rightarrow id$ , pop 8, goto [5,F]=1
0 5 1	) * id \$	Reduce 1 $T \rightarrow F$ , pop 1, goto [5,T]=6
0 5 6	) * id \$	Shift S7
0 5 6 7	* id \$	Reduce 4 $F \rightarrow (T)$ , pop 7 6 5, goto [0,F]=1
0 1	* id \$	Reduce 1 $T \rightarrow F$ pop 1, goto [0,T]=2

Productions								
1	T → F							
2	T → T * F							
3	F → id							
4	F → (T)							

	*	(	)	id	\$	T	F
0		S5		S8		2	1
1	R1	R1	R1	R1	R1		
2	S3				A		
3		S5		S8			4
4	R2	R2	R2	R2	R2		
5		S5		S8		6	1
6	S3		S7				
7	R4	R4	R4	R4	R4		
8	R3	R3	R3	R3	R3		

	Input	Action
0	( id ) * id \$	Shift S5
0 5	id ) * id \$	Shift S8
0 5 8	) * id \$	Reduce 3 F → id, pop 8, goto [3,F]=4
0 5 1	) * id \$	Reduce 2 T → T * F, pop 4 3 2, goto [0,T]=2
0 5 6	) * id \$	Shift S7
0 5 6 7	* id \$	Reduce 4 F → (T), pop 7 6 5, goto [0,F]=1
0 1	* id \$	Reduce 1 T → F, pop 1, goto [5,T]=6

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## Trace “(id)\*id”

Stack	Input	Action
0 1	* id \$	Reduce 1 T → F, pop 1, goto [0,T]=2
0 2	* id \$	Shift S3
0 2 3	id \$	Shift S8
0 2 3 8	\$	Reduce 3 F → id, pop 8, goto [3,F]=4
0 2 3 4	\$	Reduce 2 T → T * F, pop 4 3 2, goto [0,T]=2
0 2	\$	Accept

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Productions								
1	T → F							
2	T → T * F							
3	F → id							
4	F → ( T )							

“(id)\*id”

	*	(	)	id	\$	T	F
0		S5		S8		2	1
1	R1	R1	R1	R1	R1		
2	S3				A		
3		S5		S8			4
4	R2	R2	R2	R2	R2		
5		S5		S8		6	1
6	S3		S7				
7	R4	R4	R4	R4	R4		
8	R3	R3	R3	R3	R3		

Stack	Input	Action
0 1	* id \$	Reduce 1
0 2	* id \$	Shift S3
0 2 3	id \$	Shift S8
0 2 3 8	\$	Reduce 3 F → id, pop 8, goto [3,F]=4
0 2 3 4	\$	Reduce 2 T → T * F pop 4 3 2, goto [0,T]=2
0 2	\$	Accept

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## Tracing LR: $\text{action}[s, a]$

- case **shift**  $u$ :
  - push state  $u$
  - read new  $a$
- case **reduce**  $r$ :
  - lookup production  $r: X \rightarrow Y_1..Y_k$ ;
  - pop  $k$  states, find state  $u$
  - push **goto** $[u, X]$
- case **accept**: done
- no entry in action table: **error**

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## Configuration set

- Each set is a parser state
- We use the notion of a dotted rule or item:  
$$\mathbf{T \rightarrow T * \bullet F}$$
- The dot is before **F**, so we predict all rules with **F** as the left-hand side  
$$\mathbf{T \rightarrow T * \bullet F}$$
$$\mathbf{F \rightarrow \bullet ( T )}$$
$$\mathbf{F \rightarrow \bullet id}$$
- This creates a configuration set (or item set)

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## Closure

Closure property:

- If  $\mathbf{T \rightarrow X_1 \dots X_i \bullet X_{i+1} \dots X_n}$  is in set, and  $\mathbf{X_{i+1}}$  is a nonterminal, then  $\mathbf{X_{i+1} \rightarrow \bullet Y_1 \dots Y_m}$  is in the set as well for all productions  $\mathbf{X_{i+1} \rightarrow Y_1 \dots Y_m}$
- Compute as fixed point
- The closure property creates a configuration set (item set) from a dotted rule (item).

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## Starting Configuration

- Augment Grammar with  $S'$
- Add production  $S' \rightarrow S$
- Initial configuration set is  
 $\text{closure}(S' \rightarrow \bullet S)$

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Example:  $I = \text{closure}(S' \rightarrow \bullet T)$

$S' \rightarrow \bullet T$

$T \rightarrow \bullet T * F$

$T \rightarrow \bullet F$

$F \rightarrow \bullet \text{id}$

$F \rightarrow \bullet ( T )$

$S' \rightarrow T$
$T \rightarrow F \mid T * F$
$F \rightarrow \text{id} \mid ( T )$

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## Successor(I, X)

Informally: “move by symbol X”

1. move dot to the right in all items where dot is before X
2. remove all other items  
(viable prefixes only!)
3. compute closure

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## Successor Example

$$I = \{ S' \rightarrow \bullet T, \\ T \rightarrow \bullet F, \\ T \rightarrow \bullet T * F, \\ F \rightarrow \bullet \text{id}, \\ F \rightarrow \bullet ( T ) \}$$

$\begin{array}{l} S' \rightarrow T \\ T \rightarrow F \mid T * F \\ F \rightarrow \text{id} \mid ( T ) \end{array}$
---

Compute **Successor**(I, “(“)

$$\{ F \rightarrow ( \bullet T ), T \rightarrow \bullet F, T \rightarrow \bullet T * F, \\ F \rightarrow \bullet \text{id}, F \rightarrow \bullet ( T ) \}$$

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# Sets-of-Items Construction

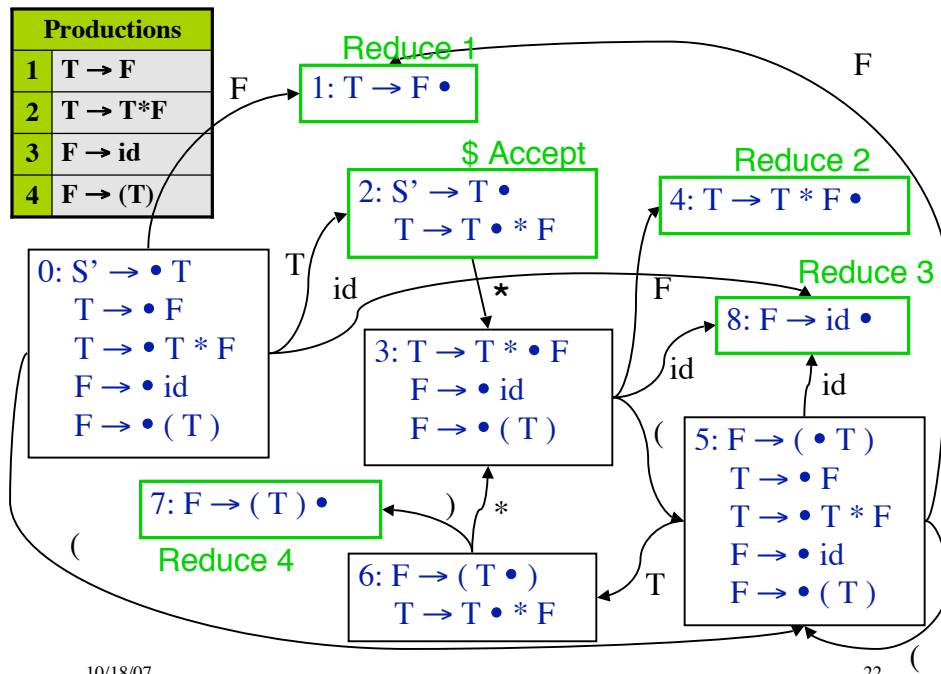
Family of configuration sets

```

function items(G')
  C = { closure({S' → • S}) };
  do foreach I ∈ C do
    foreach X ∈ (N ∪ T) do
      C = C ∪ { Successor(I, X) };
  while C changes;
  
```

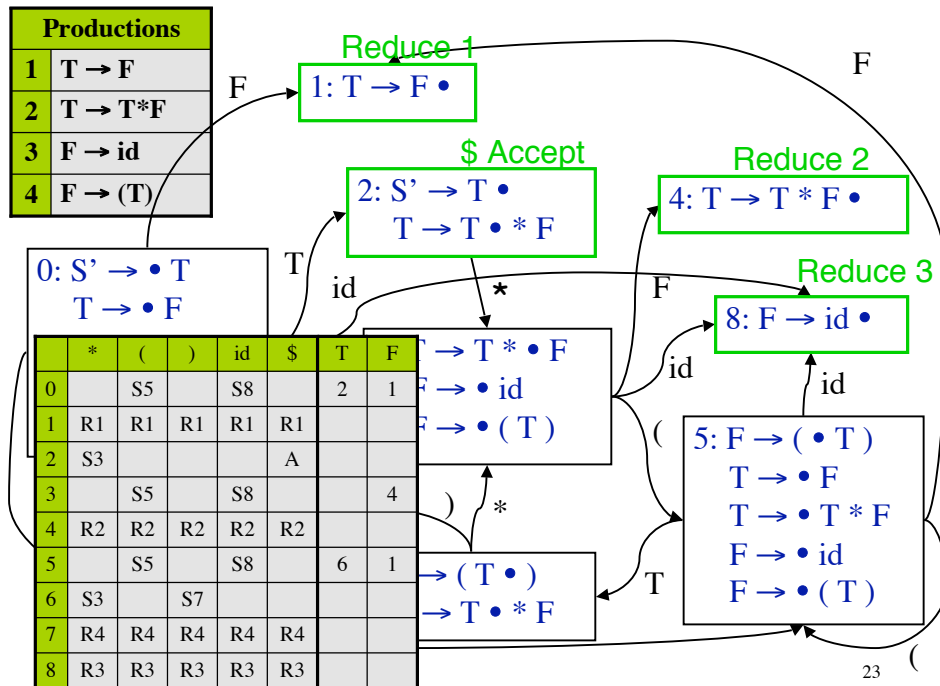
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## LR(0) Construction

- Construct  $F = \{I_0, I_1, \dots, I_n\}$
- if  $\{A \rightarrow \alpha \bullet\} \in I_i$  and  $A \neq S'$   
then  $\text{action}[i, \_ ] := \text{reduce } A \rightarrow \alpha$
  - if  $\{S' \rightarrow S \bullet\} \in I_i$   
then  $\text{action}[i, \$] := \text{accept}$
  - if  $\{A \rightarrow \alpha \bullet a \beta\} \in I_i$  and  $\text{Successor}(I_i, a) = I_j$   
then  $\text{action}[i, a] := \text{shift } j$
- if  $\text{Successor}(I_i, A) = I_j$  then  $\text{goto}[i, A] := j$

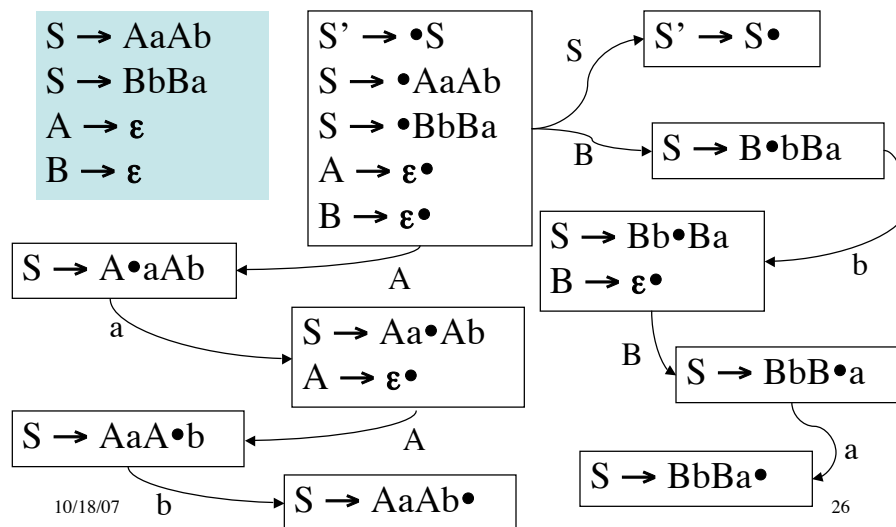
## LR(0) Construction (cont'd)

4. All entries not defined are errors
  5. Make sure  $I_0$  is the initial state
- Note: LR(0) always reduces if  $\{A \rightarrow \alpha \bullet\} \in I_i$ , no lookahead
  - Shift and reduce items can't be in the same configuration set
    - Accepting state doesn't count as reduce item
  - At most one reduce item per set

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## Set-of-items with Epsilon rules



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## LR(0) conflicts:

$S' \rightarrow T$ $T \rightarrow F$ $T \rightarrow T * F$ $T \rightarrow id$ $F \rightarrow id   ( T )$ $F \rightarrow id = T ;$	$11: F \rightarrow id \bullet$ $F \rightarrow id \bullet = T$ Shift/reduce conflict
	$1: F \rightarrow id \bullet$ $T \rightarrow id \bullet$ Reduce/Reduce conflict

Need more lookahead: SLR(1)

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## LR(0) Grammars

- An LR(0) grammar is a CFG such that the LR(0) construction produces a table without conflicts (a deterministic pushdown automata)
- $S \Rightarrow_{rm}^* \alpha A \beta \Rightarrow_{rm} \alpha w \beta$  and  $A \rightarrow w$  then we can *prune the handle*  $w$ 
  - pruning the handle means we can reduce  $\alpha w$  to  $\alpha A$  on the stack
- Every viable prefix  $\alpha w$  can be recognized using the DFA built by the LR(0) construction

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# LR(0) Grammars

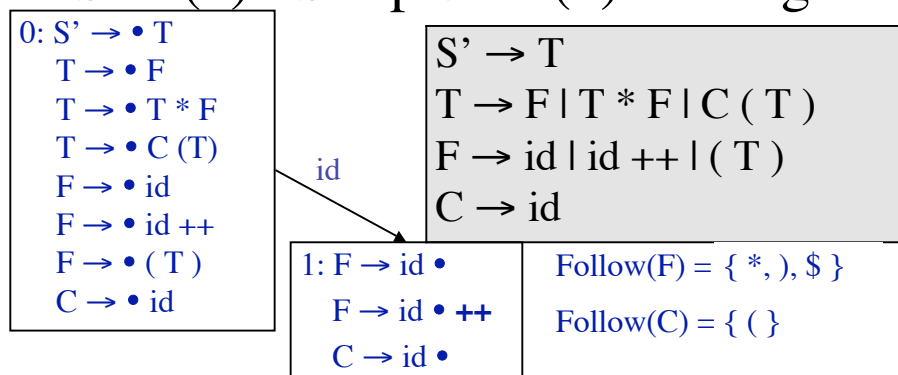
- Once we have a viable prefix on the stack, we can prune the handle and then restart the DFA to obtain another viable prefix, and so on ...
- In LR(0) pruning the handle can be done without any look-ahead
  - this means that in the rightmost derivation,
  - $S \Rightarrow_{rm}^* \alpha A \beta \Rightarrow_{rm} \alpha w \beta$  we reduce using a unique rule  $A \rightarrow w$  without ambiguity, and without looking at  $\beta$
- No ambiguous context-free grammar can be LR(0)

LR(0) Grammars  $\subset$  Context-free Grammars

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## SLR(1) : Simple LR(1) Parsing



action[1,\*] = action[1,)] = action[1,\$] = Reduce  $F \rightarrow id$   
 action[1,(] = Reduce  $C \rightarrow id$   
 action[1,++] = Shift

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## SLR(1) Construction

1. Construct  $F = \{I_0, I_1, \dots, I_n\}$
2. a) if  $\{A \rightarrow \alpha \bullet\} \in I_i$  and  $A \neq S'$   
then  $\text{action}[i, b] := \text{reduce } A \rightarrow \alpha$   
for all  $b \in \text{Follow}(A)$
- b) if  $\{S' \rightarrow S \bullet\} \in I_i$   
then  $\text{action}[i, \$] := \text{accept}$
- c) if  $\{A \rightarrow \alpha \bullet a \beta\} \in I_i$  and  $\text{Successor}(I_i, a) = I_j$   
then  $\text{action}[i, a] := \text{shift } j$
3. if  $\text{Successor}(I_i, A) = I_j$  then  $\text{goto}[i, A] := j$

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## SLR(1) Construction (cont'd)

4. All entries not defined are errors
  5. Make sure  $I_0$  is the initial state
- Note: SLR(1) only reduces  $\{A \rightarrow \alpha \bullet\}$  if lookahead in  $\text{Follow}(A)$
  - Shift and reduce items or more than one reduce item can be in the same configuration set as long as lookaheads are disjoint

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# SLR(1) Conditions

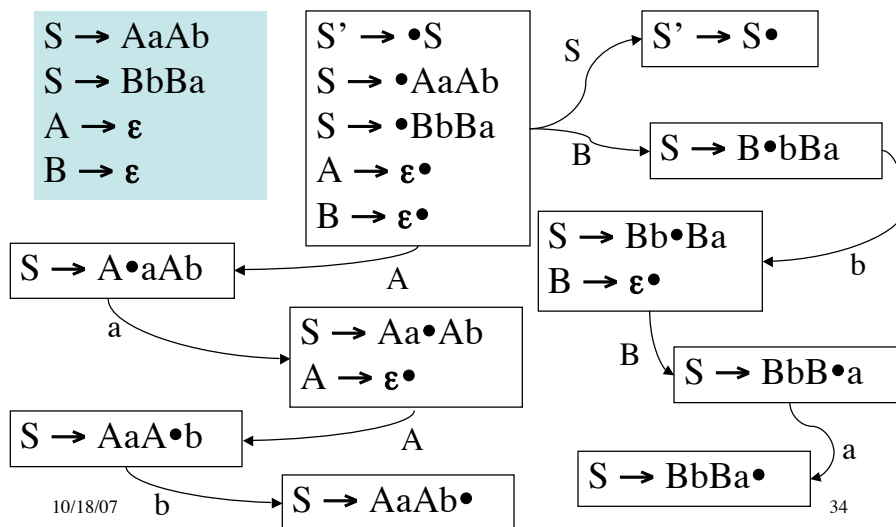
- A grammar is SLR(1) if for each configuration set:
  - For any item  $\{A \rightarrow \alpha \bullet x \beta : x \in T\}$  there is no  $\{B \rightarrow \gamma \bullet : x \in \text{Follow}(B)\}$
  - For any two items  $\{A \rightarrow \alpha \bullet\}$  and  $\{B \rightarrow \beta \bullet\}$   $\text{Follow}(A) \cap \text{Follow}(B) = \emptyset$

LR(0) Grammars  $\subset$  SLR(1) Grammars

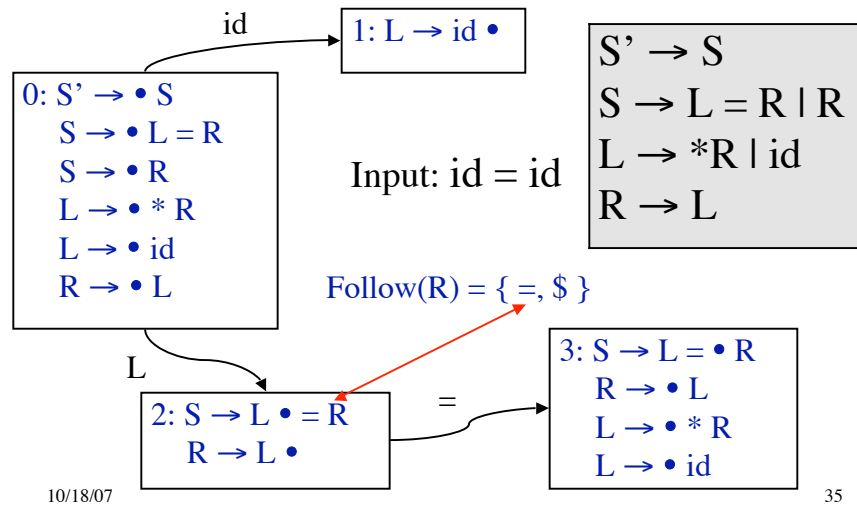
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Is this grammar SLR(1)?



## SLR limitation: lack of context



## Solution: Canonical LR(1)

- Extend definition of configuration
  - Remember lookahead
- New closure method
- Extend definition of Successor

## LR(1) Configurations

- $[A \rightarrow \alpha \bullet \beta, a]$  for  $a \in T$  is valid for a viable prefix  $\delta\alpha$  if there is a rightmost derivation  $S \Rightarrow^* \delta A \eta \Rightarrow^* \delta \alpha \beta \eta$  and  $(\eta = a\gamma)$  or  $(\eta = \epsilon \text{ and } a = \$)$
- Notation:  $[A \rightarrow \alpha \bullet \beta, a/b/c]$ 
  - if  $[A \rightarrow \alpha \bullet \beta, a]$ ,  $[A \rightarrow \alpha \bullet \beta, b]$ ,  $[A \rightarrow \alpha \bullet \beta, c]$  are valid configurations

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## LR(1) Configurations

$S \rightarrow B B$

$B \rightarrow a B \mid b$

$S \Rightarrow BB \Rightarrow BaB \Rightarrow Bab$   
 $\Rightarrow aBab \Rightarrow aaBab \Rightarrow aaaBab$

- $S \Rightarrow_{rm}^* aaBab \Rightarrow_{rm} aaaBab$
- Item  $[B \rightarrow a \bullet B, a]$  is valid for viable prefix  $aaa$
- $S \Rightarrow_{rm}^* BaB \Rightarrow_{rm} BaaB$
- Also, item  $[B \rightarrow a \bullet B, \$]$  is valid for viable prefix  $Baa$

$S \Rightarrow BB \Rightarrow BaB \Rightarrow BaaB$

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## LR(1) Closure

Closure property:

- If  $[A \rightarrow \alpha \bullet B\beta, a]$  is in set, then  $[B \rightarrow \bullet \gamma, b]$  is in set if  $b \in \text{First}(\beta a)$
- Compute as fixed point
- Only include contextually valid lookaheads to guide reducing to B

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## Starting Configuration

- Augment Grammar with  $S'$  just like for LR(0), SLR(1)
- Initial configuration set is
$$I = \text{closure}([S' \rightarrow \bullet S, \$])$$

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Example:  $\text{closure}([S' \rightarrow \bullet S, \$])$

$[S' \rightarrow \bullet S, \$]$

$[S \rightarrow \bullet L = R, \$]$

$[S \rightarrow \bullet R, \$]$

$[L \rightarrow \bullet *R, =]$

$[L \rightarrow \bullet \text{id}, =]$

$[R \rightarrow \bullet L, \$]$

$[L \rightarrow \bullet *R, \$]$

$[L \rightarrow \bullet \text{id}, \$]$

$S' \rightarrow S$
$S \rightarrow L = R \mid R$
$L \rightarrow *R \mid \text{id}$
$R \rightarrow L$

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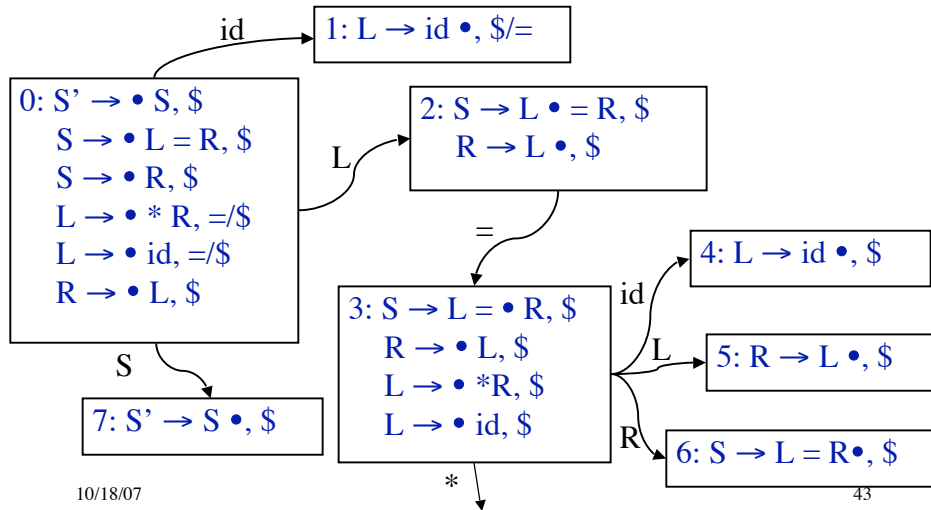
## LR(1) Successor(C, X)

- Let  $I = [A \rightarrow \alpha \bullet B \beta, a]$  **or**  $[A \rightarrow \alpha \bullet b \beta, a]$
- $\text{Successor}(I, B)$   
=  $\text{closure}([A \rightarrow \alpha B \bullet \beta, a])$
- $\text{Successor}(I, b)$   
=  $\text{closure}([A \rightarrow \alpha b \bullet \beta, a])$

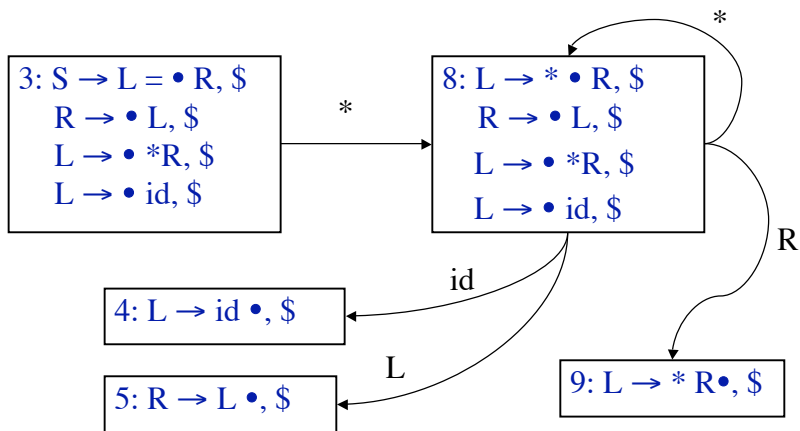
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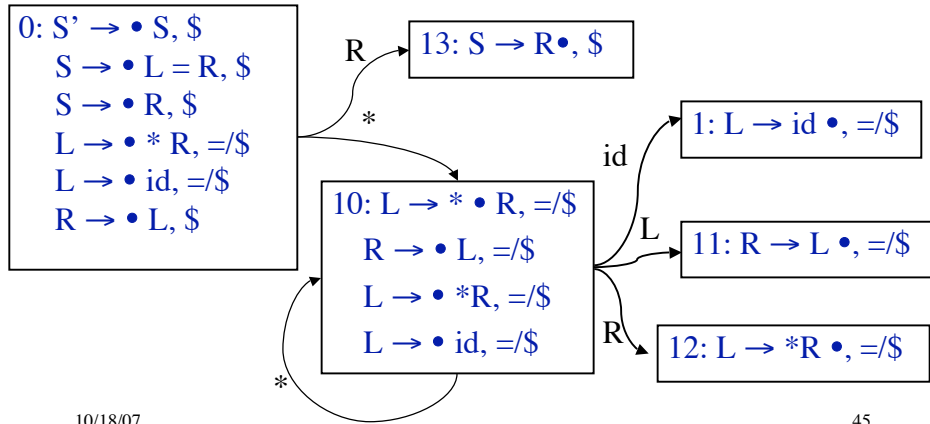
# LR(1) Example



# LR(1) Example (contd)



# LR(1) Example (contd)



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Productions	
1	$S \rightarrow L = R$
2	$S \rightarrow R$
3	$L \rightarrow * R$
4	$L \rightarrow id$
5	$R \rightarrow L$

	id	=	*	\$	S	L	R
0	S1		S10		7	2	13
1		R4		R4			
2		S3		R5			
3	S4		S8			5	6
4				R4			
5				R5			
6				R1			
7				Acc			
8	S4					5	9
9				R3			
10	S1		S10			11	12
11		R5		R5			
12		R3		R3			
13				R2			

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## LR(1) Construction

1. Construct  $F = \{I_0, I_1, \dots, I_n\}$
2. a) if  $[A \rightarrow \alpha \bullet, a] \in I_i$  and  $A \neq S'$   
then  $\text{action}[i, a] := \text{reduce } A \rightarrow \alpha$   
b) if  $[S' \rightarrow S \bullet, \$] \in I_i$   
then  $\text{action}[i, \$] := \text{accept}$   
c) if  $[A \rightarrow \alpha \bullet a \beta, b] \in I_i$  and  $\text{Successor}(I_i, a) = I_j$   
then  $\text{action}[i, a] := \text{shift } j$
3. if  $\text{Successor}(I_i, A) = I_j$  then  $\text{goto}[i, A] := j$

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## LR(1) Construction (cont'd)

4. All entries not defined are errors
  5. Make sure  $I_0$  is the initial state
- Note: LR(1) only reduces using  $A \rightarrow \alpha$  for  $[A \rightarrow \alpha \bullet, a]$  if  $a$  follows
  - LR(1) states remember context by virtue of lookahead
  - Possibly many states!
    - LALR(1) combines some states

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## LR(1) Conditions

- A grammar is LR(1) if for each configuration set holds:
  - For any item  $[A \rightarrow \alpha \bullet x \beta, a]$  with  $x \in T$  there is no  $[B \rightarrow \gamma \bullet, x]$
  - For any two complete items  $[A \rightarrow \gamma \bullet, a]$  and  $[B \rightarrow \beta \bullet, b]$  it follows  $a$  and  $a \neq b$ .
- Grammars:
  - $LR(0) \subset SLR(1) \subset LR(1) \subset LR(k)$
- Languages expressible by grammars:
  - $LR(0) \subset SLR(1) \subset LR(1) = LR(k)$

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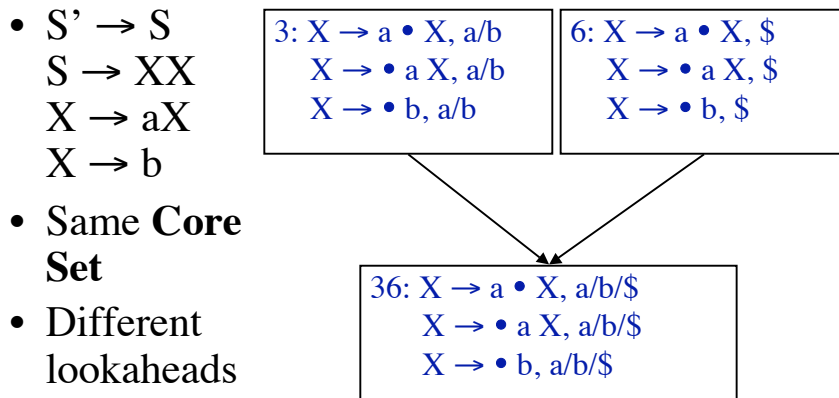
## Canonical LR(1) Recap

- LR(1) uses left context, current handle and lookahead to decide when to reduce or shift
- Most powerful parser so far
- LALR(1) is practical simplification with fewer states

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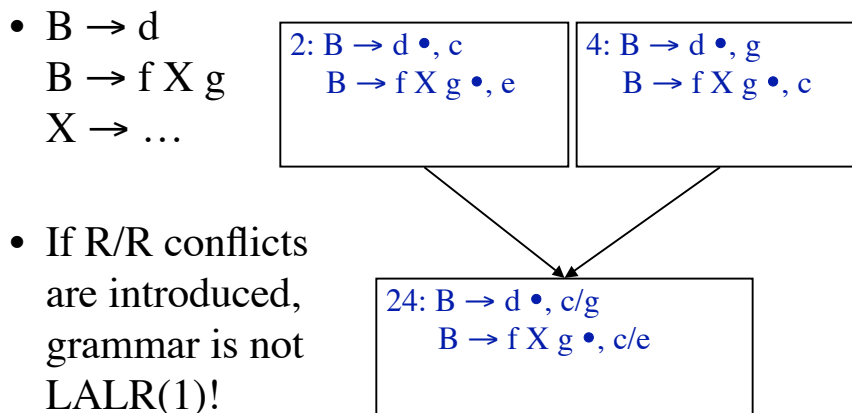
## Merging States in LALR(1)



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## R/R conflicts when merging



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# LALR(1)

- LALR(1) Condition:
  - Merging in this way does not introduce reduce/reduce conflicts
  - Shift/reduce can't be introduced
- Merging brute force or step-by-step
- More compact than canonical LR, like SLR(1)
- More powerful than SLR(1)
  - Not always merge to full Follow Set

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## S/R & ambiguous grammars

- Lx(k) Grammar vs. Language
  - Grammar is Lx(k) if it can be parsed by Lx(k) method – according to criteria that is specific to the method.
  - A Lx(k) grammar may or may not exist for a language.
- Even if a given grammar is not LR(k), shift/reduce parser can *sometimes* handle them by accounting for ambiguities
  - Example: 'dangling' else
    - Preferring shift to reduce means matching inner 'if'

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## Dangling 'else'

1.  $S \rightarrow \text{if } E \text{ then } S$
  2.  $S \rightarrow \text{if } E \text{ then } S \text{ else } S$
- Viable prefix “if E then if E then S”
    - Then read else
  - Shift “else” (means go for 2)
  - Reduce (reduce using production #1)
  - NB: dangling else as written above is ambiguous
    - NB: Ambiguity can be resolved, but there's still no LR(k) grammar

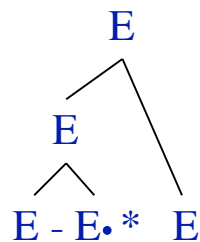
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## Precedence & Associativity

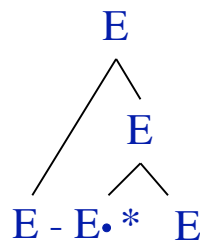
- Consider  $E \rightarrow E - E \mid E * E \mid \text{id}$

Reduce



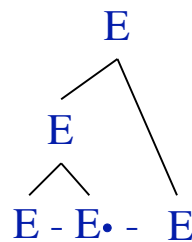
$\text{id} - \text{id} * \text{id}$

Shift



$\text{id} - \text{id} * \text{id}$

Reduce



$\text{id} - \text{id} - \text{id}$

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## Precedence Relations

- Let  $A \rightarrow w$  be a rule in the grammar
- And  $b$  is a terminal
- In some state  $q$  of the LR(1) parser there is a shift-reduce conflict:
  - either reduce with  $A \rightarrow w$  or shift on  $b$
- Write down a rule, either:  
 $A \rightarrow w, < b$  or  $A \rightarrow w, > b$

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## Precedence Relations

- $A \rightarrow w, < b$  means rule has less precedence and so we shift if we see  $b$  in the lookahead
- $A \rightarrow w, > b$  means rule has higher precedence and so we reduce if we see  $b$  in the lookahead
- If there are multiple terminals with shift-reduce conflicts, then we list them all:  
 $A \rightarrow w, > b, < c, > d$

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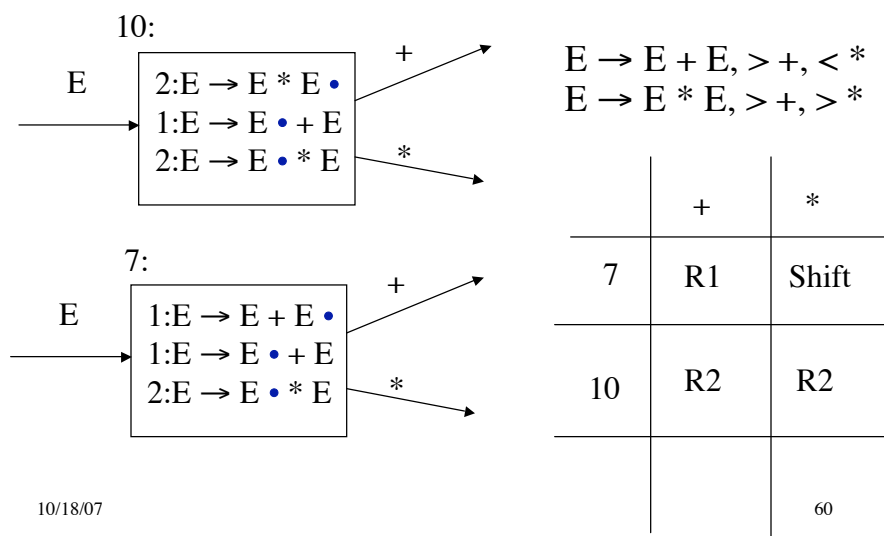
# Precedence Relations

- Consider the grammar  
 $E \rightarrow E + E \mid E * E \mid (E) \mid a$
- Assume left-association so that  $E+E+E$  is interpreted as  $(E+E)+E$
- Assume multiplication has higher precedence than addition
- Then we can write precedence rules/relns:  
 $E \rightarrow E + E, > +, < *$   
 $E \rightarrow E * E, > +, > *$

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## Precedence & Associativity



## Handling S/R & R/R Conflicts

- Have a conflict?
  - No? – Done, grammar is compliant.
- Already using most powerful parser available?
  - No? – Upgrade and goto 1
- Can the grammar be rearranged so that the conflict disappears?
  - While preserving the language!

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## Conflicts revisited (cont'd)

- Can the grammar be rearranged so that the conflict disappears?
  - No?
    - Is the conflict S/R and does shift-to-reduce preference yield desired result?
      - Yes: Done. (Example: dangling else)
    - Else: Bad luck
  - Yes: Is it worth it?
    - Yes, resolve conflict.
    - No: live with default or specified conflict resolution (precedence, associativity)

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## Compiler (parser) compilers

- Rather than build a parser for a particular grammar (e.g. recursive descent), write down a grammar as a text file
- Run through a compiler compiler which produces a parser for that grammar
- The parser is a program that can be compiled and accepts input strings and produces user-defined output

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## Compiler (parser) compilers

- For LR parsing, all it needs to do is produce action/goto table
  - Yacc (yet another compiler compiler) was distributed with Unix, the most popular tool. Uses LALR(1).
  - Many variants of yacc exist for many languages
- As we will see later, translation of the parse tree into machine code (or anything else) can also be written down with the grammar
- Handling errors and interaction with the lexical analyzer have to be precisely defined

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# Parsing - Summary

- Top-down vs. bottom-up
- Lookahead: FIRST and FOLLOW sets
- LL(1) – Parsing:  $O(n)$  time complexity
  - recursive-descent and table-driven predictive parsing
- LR(k) – Parsing :  $O(n)$  time complexity
  - LR(0), SLR(1), LR(1), LALR(1)
- Resolving shift/reduce conflicts
  - using precedence, associativity